



THE OHIO STATE UNIVERSITY

FISHER COLLEGE OF BUSINESS

Monetary Policy and the Equity Term Structure

Benjamin Golez and Ben Matthies

Discussant: **Andrei S. Gonçalves**

2022 USC Macro-Finance Conference

Outline

The Paper

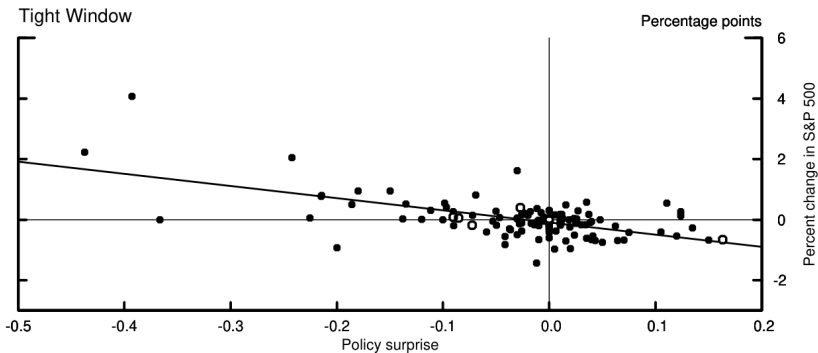
My Comments

Final Remarks

The Traditional Monetary Policy Effect

The Traditional Monetary Policy Effect

Response of S&P 500 to Monetary Policy Surprises



Gürkaynak, Sack, and Swanson (2004)

The Traditional Monetary Policy Effect

The Impact of Monetary Policy on Dividends, Interest Rates, and Future Returns

	Sample Used for VAR	
	1/73–12/02	5/89–12/02
Current excess return	-11.55 (3.87)	-11.01 (3.72)

Bernanke and Kuttner (2005)

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Real interest rate	0.64 (1.03)	0.77 (1.87)
Dividends	-4.82 (1.73)	-6.96 (2.35)

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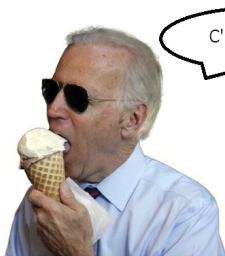


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The Traditional Monetary Policy Effect



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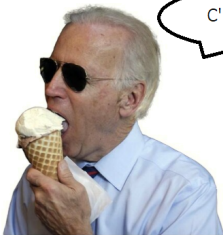


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The Traditional Monetary Policy Effect



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C'mon man!

The Fed Information Effect



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The Fed Information Effect



We decided to increase the target fed funds rate



A clear indication of how strong the economy is right now

The Fed Information Effect

Nakamura and Steinsson (2018 QJE, page 1304-1305):

“...when an FOMC announcement signals higher interest rates than markets had been expecting, market participants may view this as implying that the FOMC is more optimistic about economic fundamentals going forward than they had thought, which in turn may lead the market participants themselves to update their own beliefs about the state of the economy. We refer to effects of FOMC announcements on private sector views of non-monetary economic fundamentals as ‘Fed information effects’”

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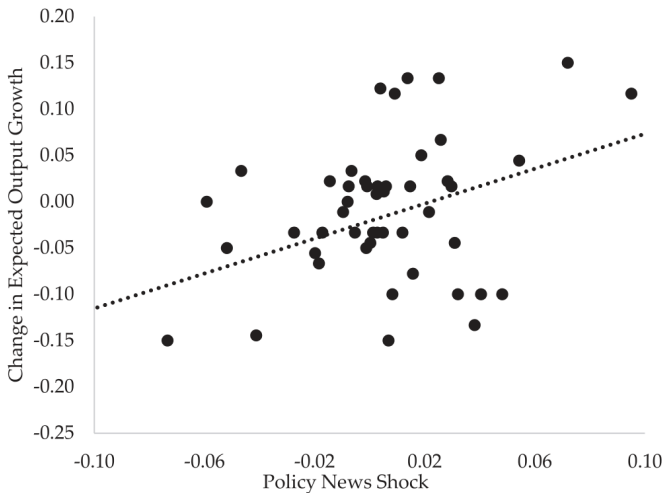
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The Fed Information Effect



Nakamura and Steinsson (2018)

This Paper in a Nutshell

- Studies how monetary policy affects the equity term structure
- $\log(P_t^{(h)}) = \log(D_t) + \mathbb{E}_t[g_{t \rightarrow t+h}] - \mathbb{E}_t[r_{t \rightarrow t+h}^{(h)}]$
- $\uparrow i_t \implies \downarrow P_t^{(Equity)}$ (traditional monetary policy effect)
- $\uparrow i_t \implies \uparrow P_t^{(DivStrip)}$ (Fed information effect)

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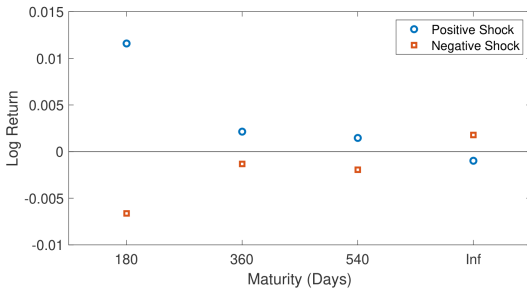
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Figure 1: Average Dividend Strip Return by Monetary Policy Shock



The Model

$$\Delta \widehat{GDP}_{t+1} = \rho_g \cdot \Delta \widehat{GDP}_t + \varepsilon_{\bar{\tau}} + b \cdot i_t + w_{t+1}$$

$$i_t - i \equiv \widehat{i}_t = \rho_i \cdot \widehat{i}_{t-1} + \alpha \cdot \mathbb{E}_{\bar{\tau}}^{cb}[\Delta \widehat{GDP}_{t+1}] + \mu_{\bar{\tau}}$$

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- Short-term $\mathbb{E}'[\widehat{GDP}] \Rightarrow \sigma_{\varepsilon}^2 / \sigma_{\mu}^2$
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Table 3: **Real Dividend and GDP Forecasting**

Horizon	1Q	2Q	3Q	4Q	5Q	6Q	7Q	8Q
Panel A: Real Dividend Growth								
ΔP^{180}	0.669 (0.242)	0.874 (0.236)	0.965 (0.306)	1.147 (0.363)	1.063 (0.362)	0.947 (0.340)	0.542 (0.219)	0.462 (0.193)
Adj. R^2	0.046	0.079	0.076	0.106	0.092	0.075	0.017	0.012

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Adj. R^2	0.046	0.079	0.076	0.106	0.092	0.075	0.017	0.012
ΔP^{180}	0.604	0.792	0.899	1.099	1.057	0.875	0.397	0.322
	(0.233)	(0.227)	(0.346)	(0.410)	(0.428)	(0.417)	(0.322)	(0.247)
Δi_t^R	0.194	0.247	0.196	0.143	0.017	0.226	0.441	0.429
	(0.245)	(0.318)	(0.356)	(0.371)	(0.376)	(0.394)	(0.465)	(0.439)
Adj. R^2	0.040	0.077	0.070	0.098	0.081	0.069	0.029	0.025
Obs.	84	84	84	84	83	81	79	79

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Table 3: Real Dividend and GDP Forecasting

Horizon	1Q	2Q	3Q	4Q	5Q	6Q	7Q	8Q
Panel B: Real GDP Growth								
ΔP^{180}	0.127	0.173	0.192	0.149	0.111	0.039	0.094	0.057
	(0.060)	(0.072)	(0.102)	(0.079)	(0.054)	(0.037)	(0.122)	(0.089)
Adj. R^2	0.034	0.044	0.041	0.019	0.018	-0.011	0.002	-0.008
ΔP^{180}	0.110	0.174	0.216	0.174	0.102	0.029	0.090	0.044
	(0.058)	(0.081)	(0.097)	(0.087)	(0.068)	(0.049)	(0.142)	(0.097)
Δi_t^H	0.052	-0.003	-0.072	-0.076	0.029	0.032	0.013	0.039
	(0.081)	(0.081)	(0.096)	(0.103)	(0.083)	(0.125)	(0.111)	(0.066)
Adj. R^2	0.033	0.032	0.039	0.018	0.008	-0.022	-0.011	-0.018
Obs.	84	84	84	83	81	79	79	77

Model Prediction 2: $\Delta P^{(h)}$ is Linked to Soft Information

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Table 4: **Text-based Measures and Short-term Asset Return**

 η_i^{lda} η_i^{sent}

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	Short-term asset return (ΔP^{180})			
η_t^{lda}	0.243 (0.103)	0.240 (0.101)		
η_t^{sent}			0.015 (0.007)	0.015 (0.007)
Δt_t^s		0.242 (0.104)		0.245 (0.105)
Adj. R^2	0.036	0.068	0.027	0.059
Obs.	128	128	128	128

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η_i^{lda}	0.243 (0.103)	0.240 (0.101)		
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Table 4: Text-based Measures and Short-term Asset Return

	Short-term asset return (ΔP^{180})				Market return (ΔP^{∞})			
η_i^{lda}	0.243 (0.103)	0.240 (0.101)			0.003 (0.016)	0.005 (0.015)		
η_i^{sent}			0.015 (0.007)	0.015 (0.007)			-0.002 (0.001)	-0.002 (0.001)
Δt_i^s		0.242 (0.104)		0.245 (0.105)		-0.060 (0.016)		-0.059 (0.016)
Adj. R^2	0.036	0.068	0.027	0.059	0.008	0.089	0.018	0.111
Obs.	128	128	128	128	128	128	128	128

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1) The Paper's Contribution

- Contributes to debate on existence of Fed information effects
- My view: it can do more
- The mixed evidence is a consequence of offsetting effects:
 - Term structure allows you to identify both effects on prices
 - Estimate parameters (σ_ϵ^2 and σ_μ^2) to match the magnitude and term structure of the effect of monetary policy shocks
 - Quantify the importance of the Fed information effect vis-à-vis the traditional monetary policy channel

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- The mixed evidence is a consequence of offsetting effects:
 - $\uparrow i_t \implies \downarrow P_t$ (traditional monetary policy effect)
 - $\uparrow i_t \implies \uparrow P_t$ (Fed information effect)
- Term structure allows you to identify both effects on prices
- Estimate parameters (σ_ϵ^2 and σ_μ^2) to match the magnitude and term structure of the effect of monetary policy shocks
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- Contributes to debate on existence of Fed information effects
- My view: it can do more
- The mixed evidence is a consequence of offsetting effects:
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2) No Interest Rate Variation?

$$r_{\bar{t}}^1 = \rho \cdot (\mathbb{E}_{\bar{t}} - \mathbb{E}_{\underline{t}})[\Delta d_{t+1}] \quad \& \quad r_{\bar{t}}^\infty = \sum_{j=0}^{\infty} \rho^j \cdot (\mathbb{E}_{\bar{t}} - \mathbb{E}_{\underline{t}})[\Delta d_{t+j+1}]$$

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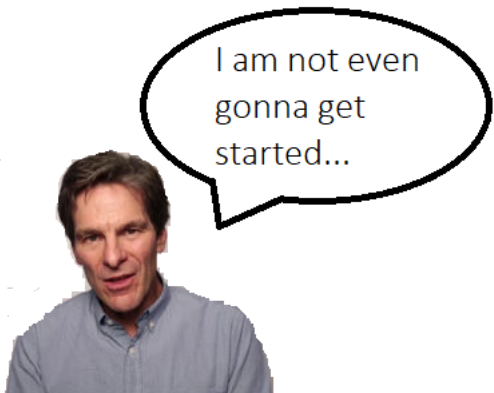
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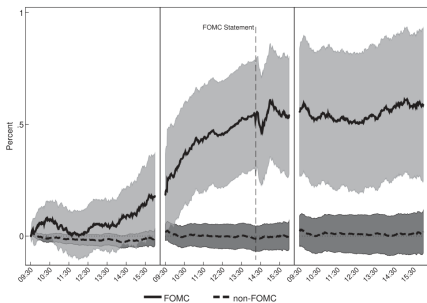


I am not even
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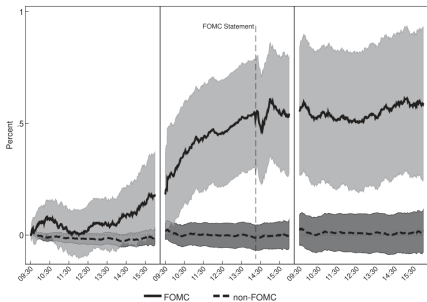


Lucca and Moench (2015)

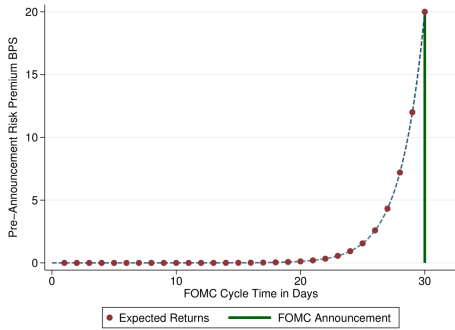
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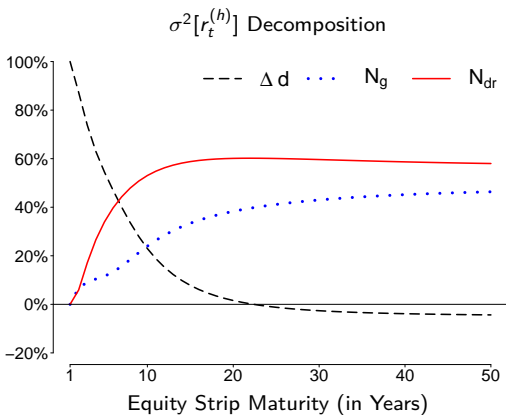
The Impact of Monetary Policy on Dividends, Interest Rates, and Future Returns

	Sample Used for VAR	
	1/73–12/02	5/89–12/02
Current excess return	-11.55 (3.87)	-11.01 (3.72)
Future excess returns	6.10 (1.74)	3.29 (1.10)
Real interest rate	0.64 (1.03)	0.77 (1.87)
Dividends	-4.82 (1.73)	-6.96 (2.35)

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Outline

The Paper

My Comments

Final Remarks

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